Last Class:

- 1. The Earley Algorithm
- 2. Intro to Probabilistic Parsing

Today:

- 1. Parsing with PCFG's
- 2. Intro to Question Answering

Slide CS474–1

Example

(a)	S		(b)		S		
/	/	_	/	1		_	
Aux N	Р	VP	Aux	NP		VP	
		NP NP					
	Ň	NP NP			Ŷ	NP	
						Nom	
		Nom					Nom
							1
P	ro I	Noun Noun		Pro	F	Noun	Noun
can yo	ou book	TWA flights	can	you	book	TWA	flights
			n				
	Rules	Р	-		lules	Р	
S	\rightarrow Aux NP		S		Aux NP V		
NP	\rightarrow Pro	.40	NP		Pro	.40	
VP	\rightarrow V NP N		VP		V NP	.40	
NP	\rightarrow Nom	.05	NP		Nom	.05	
NP	\rightarrow PNoun	.35	Nom	\rightarrow	PNoun No	om .05	
NP Nom	\rightarrow PNoun \rightarrow Noun	.35 .75	Nom Nom	$\stackrel{\rightarrow}{\rightarrow}$	PNoun No Noun	om .05 .75	
NP Nom Aux	\rightarrow PNoun \rightarrow Noun \rightarrow Can	.35 .75 .40	Nom Nom Aux	$\stackrel{\rightarrow}{\rightarrow} \\ \stackrel{\rightarrow}{\rightarrow}$	PNoun No Noun Can	om .05 .75 .40	
NP Nom Aux NP	$\begin{array}{l} \rightarrow \ \mathrm{PNoun} \\ \rightarrow \ \mathrm{Noun} \\ \rightarrow \ \mathrm{Can} \\ \rightarrow \ \mathrm{Pro} \end{array}$.35 .75 .40 .40	Nom Nom Aux NP	$\begin{array}{c} \rightarrow \\ \rightarrow \\ \rightarrow \\ \rightarrow \end{array}$	PNoun No Noun Can Pro	om .05 .75 .40 .40	
NP Nom Aux NP Pro	$\begin{array}{l} \rightarrow \ \mathrm{PNoun} \\ \rightarrow \ \mathrm{Noun} \\ \rightarrow \ \mathrm{Can} \\ \rightarrow \ \mathrm{Pro} \\ \rightarrow \ \mathrm{you} \end{array}$.35 .75 .40 .40 .40	Nom Nom Aux NP Pro	$\begin{array}{c} \rightarrow \\ \rightarrow \\ \rightarrow \\ \rightarrow \\ \rightarrow \\ \rightarrow \end{array}$	PNoun No Noun Can Pro you	om .05 .75 .40 .40 .40	
NP Nom Aux NP Pro Verb	$\begin{array}{l} \rightarrow \ \mathrm{PNoun} \\ \rightarrow \ \mathrm{Noun} \\ \rightarrow \ \mathrm{Can} \\ \rightarrow \ \mathrm{Pro} \\ \rightarrow \ \mathrm{you} \\ \rightarrow \ \mathrm{book} \end{array}$.35 .75 .40 .40 .40 .30	Nom Nom Aux NP Pro Verb	$\stackrel{\rightarrow}{\rightarrow}\stackrel{\rightarrow}{\rightarrow}\stackrel{\rightarrow}{\rightarrow}\stackrel{\rightarrow}{\rightarrow}\stackrel{\rightarrow}{\rightarrow}$	PNoun No Noun Can Pro you book	0m .05 .75 .40 .40 .40 .30	
NP Nom Aux NP Pro Verb	$\begin{array}{l} \rightarrow \ \mathrm{PNoun} \\ \rightarrow \ \mathrm{Noun} \\ \rightarrow \ \mathrm{Can} \\ \rightarrow \ \mathrm{Pro} \\ \rightarrow \ \mathrm{you} \end{array}$.35 .75 .40 .40 .40 .30 .40	Nom Nom Aux NP Pro	$\stackrel{\rightarrow}{\rightarrow}\stackrel{\rightarrow}{\rightarrow}\stackrel{\rightarrow}{\rightarrow}\stackrel{\rightarrow}{\rightarrow}\stackrel{\rightarrow}{\rightarrow}$	PNoun No Noun Can Pro you book	om .05 .75 .40 .40 .40 .30 .40	
NP Nom Aux NP Pro Verb	$\begin{array}{l} \rightarrow \ \mathrm{PNoun} \\ \rightarrow \ \mathrm{Noun} \\ \rightarrow \ \mathrm{Can} \\ \rightarrow \ \mathrm{Pro} \\ \rightarrow \ \mathrm{you} \\ \rightarrow \ \mathrm{book} \end{array}$.35 .75 .40 .40 .40 .30	Nom Nom Aux NP Pro Verb Pnoun	$\stackrel{\uparrow}{\rightarrow}\stackrel{\uparrow}{\rightarrow}\stackrel{\uparrow}{\rightarrow}\stackrel{\uparrow}{\rightarrow}\stackrel{\uparrow}{\rightarrow}\stackrel{\uparrow}{\rightarrow}$	PNoun No Noun Can Pro you book	0m .05 .75 .40 .40 .40 .30	

Slide CS474–2

Parsing with PCFGs

Produce the most likely parse for a given sentence:

 $\hat{T}(S) = argmax_{T \in \tau(S)} P(T)$

where $\tau(S)$ is the set of possible parse trees for S.

• Augment the Earley algorithm to compute the probability of each of its parses.

When adding an entry E of category C to the chart using rule i with n subconstituents, E_1, \ldots, E_n :

 $P(E) = P(rule \ i \mid C) * P(E_1) * \dots * P(E_n)$

• probabilistic CYK (Cocke-Younger-Kasami) algorithm

Problems with PCFGs

Do not model structural dependencies.

Often the choice of how a non-terminal expands depends on the location of the node in the parse tree.

E.g. Strong tendency in English for the syntactic subject of a spoken sentence to be a pronoun.

- 91% of declarative sentences in the Switchboard corpus are pronouns (vs. lexical).
- In contrast, 34% of direct objects in Switchboard are pronouns.

Problems	with	\mathbf{P}	CF	Gs
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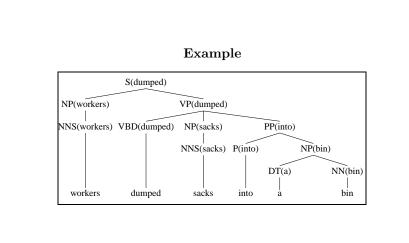
Do not adequately model *lexical dependencies*.

Moscow sent more than 100,000 soldiers into Afghanistan...

PP can attach to either the NP or the VP: NP \rightarrow NP PP or VP \rightarrow V NP PP?

Attachment choice depends (in part) on the verb: *send* subcategorizes for a destination (e.g. expressed via a PP that begins with *into* or *to* or ...).

Slide CS474–5



Probabilistic lexicalized CFGs

- Each non-terminal is associated with its head.
- Each PCFG rule needs to be augmented to identify one rhs constituent to be the head daughter.
- Headword for a node in the parse tree is set to the headword of its head daughter.

Slide CS474–6

Probabilistic lexicalized CFGs

View a lexicalized (P)CFG as a simple (P)CFG with a lot more rules.

$$\begin{split} & \mathrm{VP}(\mathrm{dumped}) \to \mathrm{VBD}(\mathrm{dumped}) \ \mathrm{NP}(\mathrm{sacks}) \ \mathrm{PP}(\mathrm{into}) \ [3x10^{-10}] \\ & \mathrm{VP}(\mathrm{dumped}) \to \mathrm{VBD}(\mathrm{dumped}) \ \mathrm{NP}(\mathrm{cats}) \ \mathrm{PP}(\mathrm{into}) \ [8x10^{-10}] \\ & \mathrm{VP}(\mathrm{dumped}) \to \mathrm{VBD}(\mathrm{dumped}) \ \mathrm{NP}(\mathrm{sacks}) \ \mathrm{PP}(\mathrm{above}) \ [1x10^{-12}] \\ & \dots \end{split}$$

Problem?

Slide CS474–7

Incorporating lexical dependency information

Incorporates lexical dependency information by:

- 1. relating the heads of phrases to the heads of their constituents;
- 2. including syntactic subcategorization information.

Syntactic subcategorization dependencies:

Probability of a rule r of syntactic category n: p(r(n) | n, h(n)).

Example: probability of expanding VP as VP \rightarrow VBD NP PP will be p (r | VP, dumped).

Slide CS474–9

Incorporating lexical dependency information

Condition the probability of a node n having a head h on two factors:

- 1. the syntactic category of the node n
- 2. the head of the node's mother h(m(n))

 $p(h(n) = word_i \mid n, h(m(n)))$

Slide CS474–10

Computing the probability of a parse

Computing the probability of a particular parse for a given sentence changes from:

$$P(T) = \prod_{n \in T} p(r(n))$$

 to

 $\mathbf{P}(\mathbf{T}) = \prod_{n \in T} \mathbf{p}(\mathbf{r}(n)|\mathbf{n},\mathbf{h}(n)) * \mathbf{p}(\mathbf{h}(n)|\mathbf{n},\mathbf{h}(\mathbf{m}(n)))$

Evaluation Measures and State of the Art

- labeled recall: # correct constituents in candidate parse of s / # correct constituents in treebank parse of s
- labeled precision: # correct constituents in candidate parse of s / total # of constituents in candidate parse of s
- crossing brackets: the number of crossed brackets

State of the art: 91-92% recall/, 1% crossed bracketed constituents per sentence (WSJ treebank)