Last Class: Smoothing

Today: Parsing Intro

- 1. Grammars and parsing
- 2. Top-down and bottom-up parsing

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Syntax

syntax: from the Greek *syntaxis*, meaning "setting out together or arrangement."

Refers to the way words are arranged together.

Why worry about syntax?

- The boy ate the frog.
- The frog was eaten by the boy.
- The frog that the boy ate died.
- The boy whom the frog was eaten by died.

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Syntactic Analysis

Key ideas:

- **constituency**: groups of words may behave as a single unit or phrase
- grammatical relations: refer to the SUBJECT, OBJECT, INDIRECT OBJECT, etc.
- **subcategorization and dependencies**: refer to certain kinds of relations between words and phrases, e.g. *want* can be followed by an infinitive, but *find* and *work* cannot.

All can be modeled by various kinds of grammars that are based on context-free grammars.

Grammars and Parsing

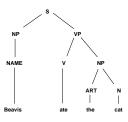
Need a **grammar:** a formal specification of the structures allowable in the language.

Need a **parser**: algorithm for assigning syntactic structure to an input sentence.

Sentence

Parse Tree

Beavis ate the cat.



CFG example

CFG's are also called phrase-structure grammars. Equivalent to Backus-Naur Form (BNF).

- 1. $S \rightarrow NP VP$ 5. $NAME \rightarrow Beavis$
- 2. VP \rightarrow V NP

6. $V \rightarrow ate$ 7. ART $\rightarrow the$

- 3. NP \rightarrow NAME 4. NP \rightarrow ART N
- 8. N \rightarrow cat
- CFG's are *powerful* enough to describe most of the structure in natural languages.
- CFG's are *restricted* enough so that efficient parsers can be built.

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a set of non-terminal symbols N a set of terminal symbols Σ (disjoint from N)

A context free grammar consists of:

3. a set of productions, P, each of the form $A \to \alpha$, where A is a non-terminal and α is a string of symbols from the infinite set of strings $(\Sigma \cup N)^*$

CFG's

4. a designated start symbol ${\cal S}$

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Derivations

- If the rule $A \to \beta \in P$, and α and γ are strings in the set $(\Sigma \cup N)^*$, then we say that $\alpha A \gamma$ directly derives $\alpha \beta \gamma$, or $\alpha A \gamma \Rightarrow \alpha \beta \gamma$
- Let $\alpha_1, \alpha_2, \ldots, \alpha_m$ be strings in $(\Sigma \cup N)^*$, m > 1, such that

 $\alpha_1 \Rightarrow \alpha_2, \alpha_2 \Rightarrow \alpha_3, \dots, \alpha_{m-1} \Rightarrow \alpha_m,$

then we say that α_1 derives α_m or $\alpha_1 \stackrel{*}{\Rightarrow} \alpha_m$

 L_G

The language L_G generated by a grammar G is the set of strings composed of terminal symbols that can be derived from the designated start symbol S.

 $L_G = \{ w | w \in \Sigma^*, S \stackrel{*}{\Rightarrow} w \}$

Parsing: the problem of mapping from a string of words to its parse tree according to a grammar G.

G	eneral Parsing Strates	gies	
Grammar	Top-Down	Bottom-Up	A Top-Down Parser
1. S \rightarrow NP VP	$S \rightarrow NP VP$	\rightarrow NAME ate the cat	Input: CFG grammar, lexicon, sentence to parse
2. VP \rightarrow V NP	\rightarrow NAME VP	\rightarrow NAME V the cat	Output: yes/no
3. NP \rightarrow NAME	\rightarrow Beav VP	\rightarrow NAME V ART cat	State of the parse: (symbol list, position)
4. NP \rightarrow ART N	\rightarrow Beav V NP	\rightarrow NAME V ART N	
5. NAME \rightarrow Beavis	\rightarrow Beav ate NP	\rightarrow NP V ART N	$_1$ The $_2$ old $_3$ man $_4$ cried $_5$
6. V \rightarrow ate	\rightarrow Beav ate ART N	\rightarrow NP V NP	start state: $((S) 1)$
7. ART \rightarrow the	\rightarrow Beav ate the N	\rightarrow NP VP	
8. N \rightarrow cat	\rightarrow Beav ate the cat	\rightarrow S	
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	Slide CS474–9 Grammar and Lexico	n	Algorithm for a Top-Down Parser
		m	Algorithm for a Top-Down Parser $PSL \leftarrow (((S) 1))$
Grammar:	Grammar and Lexico		Algorithm for a Top-Down Parser
Grammar: 1. S \rightarrow NP VP	Grammar and Lexico 4.	$\rm VP \rightarrow v$	Algorithm for a Top-Down Parser $PSL \leftarrow (((S) 1))$
Grammar: 1. S \rightarrow NP VP 2. NP \rightarrow art n	Grammar and Lexico 4.		Algorithm for a Top-Down Parser $PSL \leftarrow (((S) 1))$ 1. Check for failure. If PSL is empty, return NO.
Grammar: 1. S \rightarrow NP VP	Grammar and Lexico 4.	$\rm VP \rightarrow v$	Algorithm for a Top-Down Parser PSL ← ((((S) 1)) 1. Check for failure. If PSL is empty, return NO. 2. Select the current state, C. C ← pop (PSL).
Grammar: 1. S \rightarrow NP VP 2. NP \rightarrow art n	Grammar and Lexico 4.	$\rm VP \rightarrow v$	Algorithm for a Top-Down Parser PSL ← (((S) 1)) 1. Check for failure. If PSL is empty, return NO. 2. Select the current state, C. C ← pop (PSL). 3. Check for success. If C = (() <final-position>), YES.</final-position>
Grammar: 1. $S \rightarrow NP VP$ 2. $NP \rightarrow art n$ 3. $NP \rightarrow art adj n$ Jexicon: he: art	Grammar and Lexico 4.	$\rm VP \rightarrow v$	Algorithm for a Top-Down Parser PSL ← (((S) 1)) 1. Check for failure. If PSL is empty, return NO. 2. Select the current state, C. C ← pop (PSL). 3. Check for success. If C = (() <final-position>), YES. 4. Otherwise, generate the next possible states.</final-position>
Grammar: 1. $S \rightarrow NP VP$ 2. $NP \rightarrow art n$ 3. $NP \rightarrow art adj n$ Lexicon: he: art bld: adj, n man: n, v	Grammar and Lexico 4.	$\rm VP \rightarrow v$	Algorithm for a Top-Down Parser $PSL \leftarrow (((S) 1))$ 1. Check for failure. If PSL is empty, return NO. 2. Select the current state, $C. C \leftarrow pop$ (PSL). 3. Check for success. If $C = (() < final-position>)$, YES. 4. Otherwise, generate the next possible states. (a) $s_1 \leftarrow first-symbol(C)$
Grammar: 1. $S \rightarrow NP VP$ 2. $NP \rightarrow art n$ 3. $NP \rightarrow art adj n$ Lexicon: he: art ld: adj, n	Grammar and Lexico 4.	$\rm VP \rightarrow v$	 Algorithm for a Top-Down Parser PSL ← (((S) 1)) 1. Check for failure. If PSL is empty, return NO. 2. Select the current state, C. C ← pop (PSL). 3. Check for success. If C = (() <final-position>), YES.</final-position> 4. Otherwise, generate the next possible states. (a) s₁ ← first-symbol(C) (b) If s₁ is a lexical symbol and next word can be in that class, create new state by removing s₁, updating the word position, and adding

	Example	8. ((v NP) 3)	((art adj n VP) 1) leads to backtracking
1. ((S) 1) ((NP VP) 1) 2. ((NP VP) 1) ((art au 3. ((art n VP) 1) ((art au 4. ((n VP) 2) ((art au 5. ((VP) 3) ((art au 6. ((v) 3) ((v NP)	<pre>dj n VP) 1) dj n VP) 1) dj n VP) 1) dj n VP) 1) e) 3) ((art adj n VP) 1) e) 3) ((art adj n VP) 1) Backtrack</pre>	 9. ((art adj n VP) 10. ((adj n VP) 2) 11. ((n VP) 3) 12. ((VP) 4) 13. ((v) 4) 14. (() 5) YES	
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